

Instability of electrostatic waves in an inhomogeneous plasma at Venus ionosphere

By

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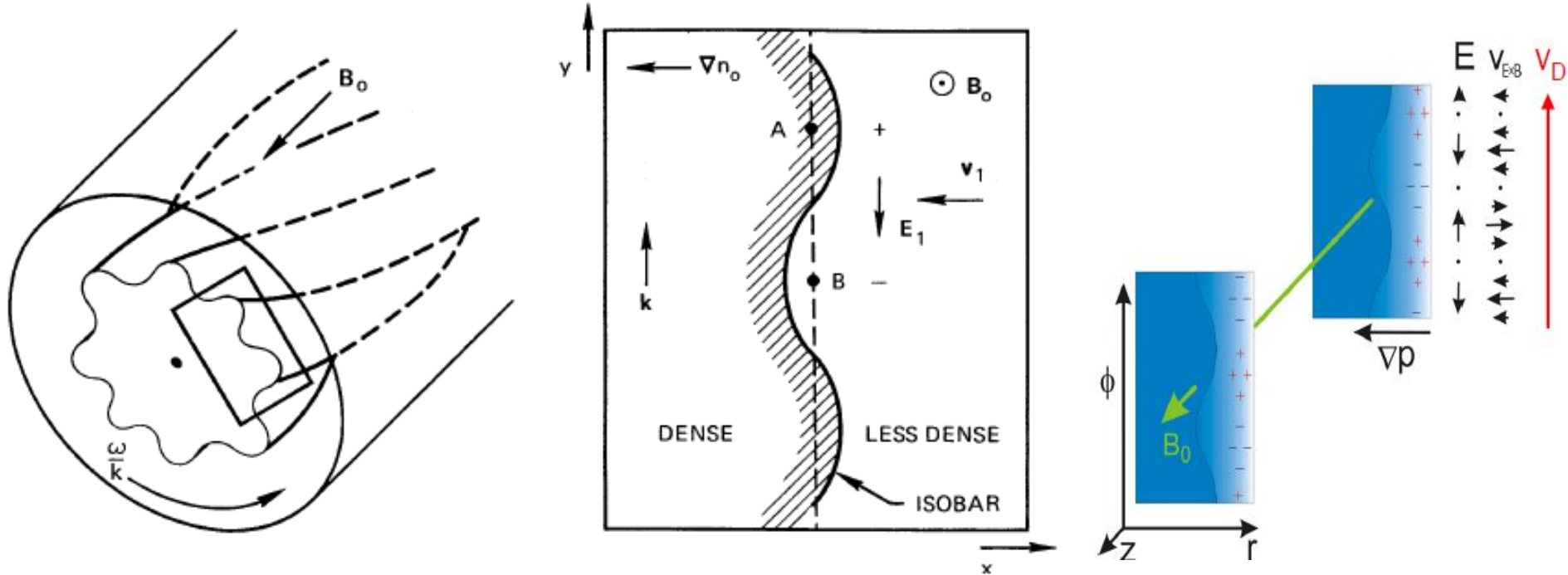
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Outline

- **Simple theory of drift waves**
- **Drift velocities**
- **Drift waves properties**
- **Introduction about Venus**
- **Aim of the work**
- **Basic equations**
- **Results**

Simple theory of drift waves



Drift velocities

- **$\mathbf{E} \times \mathbf{B}$ drift**

$$\mathbf{v}_E = \frac{\mathbf{E} \times \mathbf{B}}{B^2}$$

- **Diamagnetic drift**

$$\mathbf{v}_D \equiv -\frac{\nabla p \times \mathbf{B}}{qnB^2}$$

- **∇B drift**

$$\mathbf{v}_{\nabla B} = \pm \frac{1}{2} v_{\perp} r_L \frac{\mathbf{B} \times \nabla B}{B^2}$$

- **Curvature drift**

$$\mathbf{v}_R = \frac{mv_{\parallel}^2}{q} \frac{\mathbf{R}_c \times \mathbf{B}}{R_c^2 B^2}$$

- **Polarization drift**

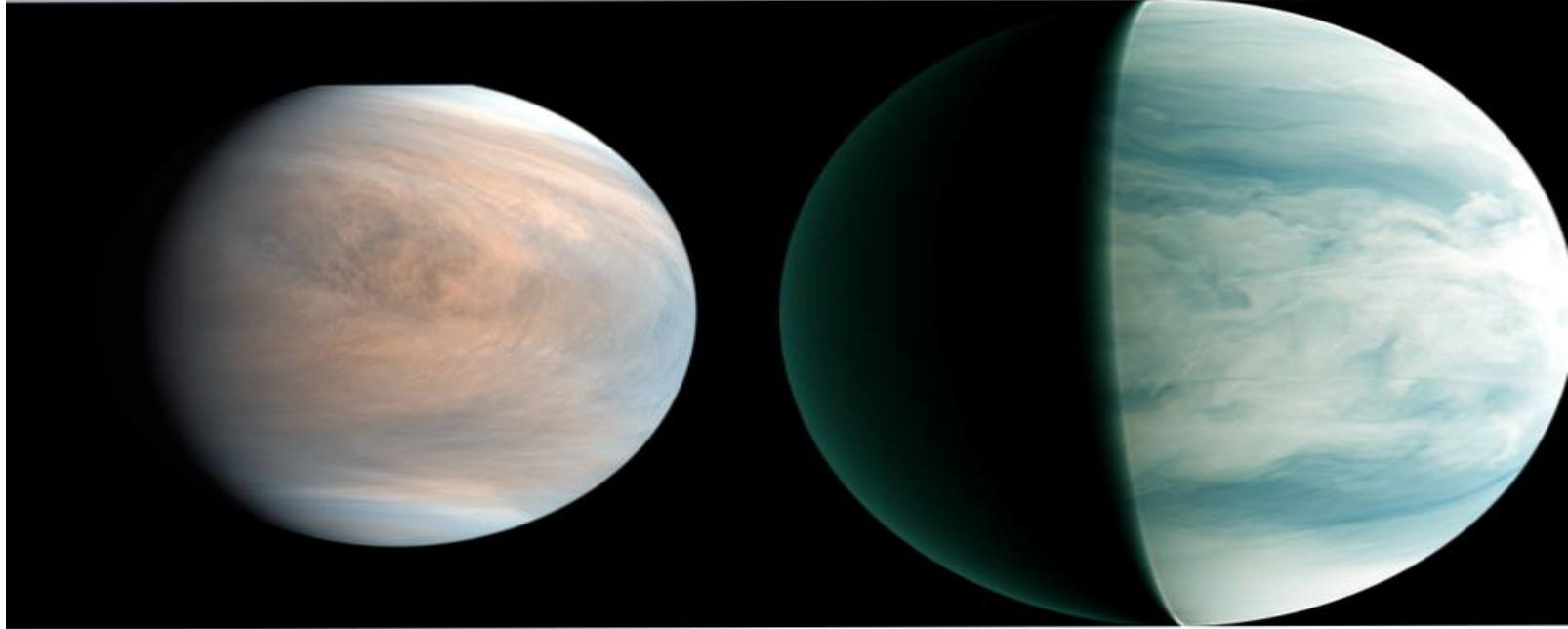
$$\mathbf{v}_p = \pm \frac{1}{\omega_c B} \frac{d\mathbf{E}}{dt}$$

- **Gravitational drift**

$$\mathbf{v}_g = \frac{m}{q} \frac{\mathbf{g} \times \mathbf{B}}{B^2}$$

Drift waves properties

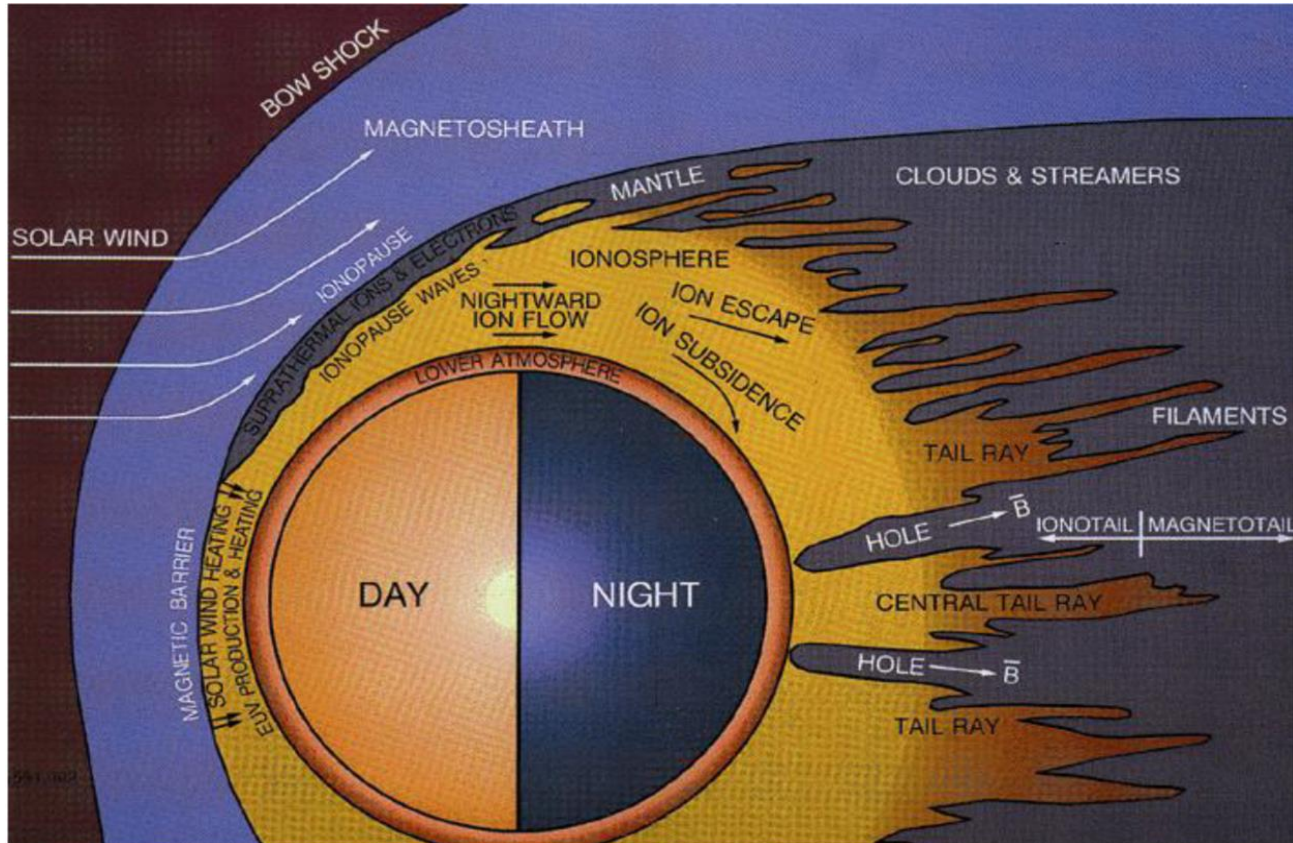
- It refers to the diamagnetic drift in magnetized plasmas with $\nabla n \neq 0$, and propagates with diamagnetic drift velocity
- „universal“ instabilities of magnetized plasmas,
- ES in low Beta plasmas EM in high Beta plasmas,
- lead to fluctuations in n , ϕ , T and B (in high β),
- have low frequency $< \omega_{ci}$.



**-Venus day side synthesized
false color image by UVI (2017
Sep 24).**

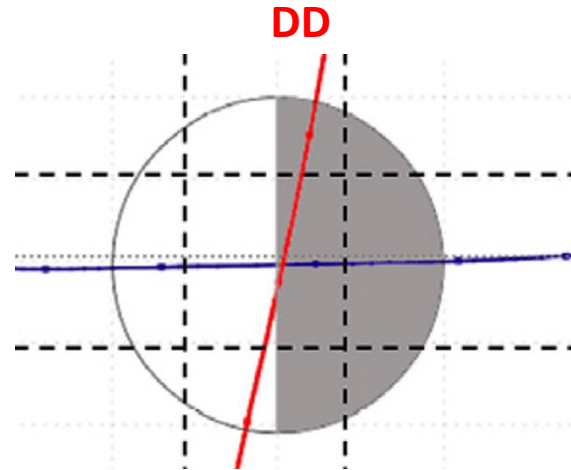
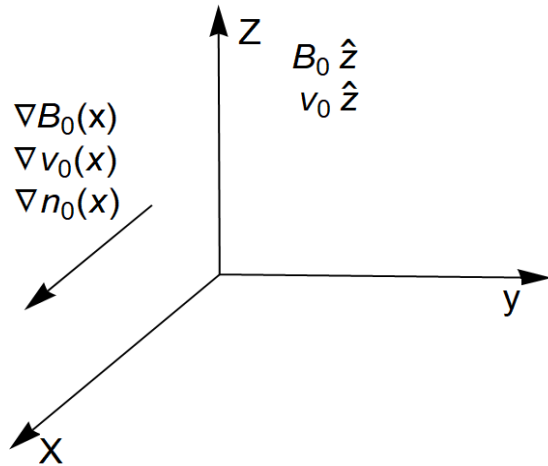
**-Venus night side synthesized
false color image by IR2 1.735
 μm and 2.26 μm (2016 Mar 25)**

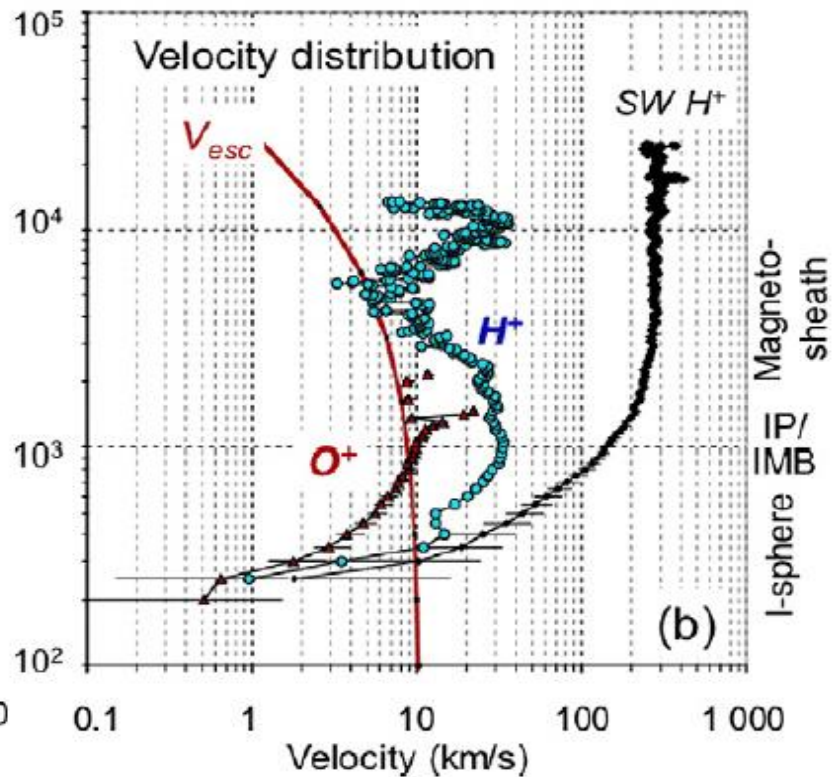
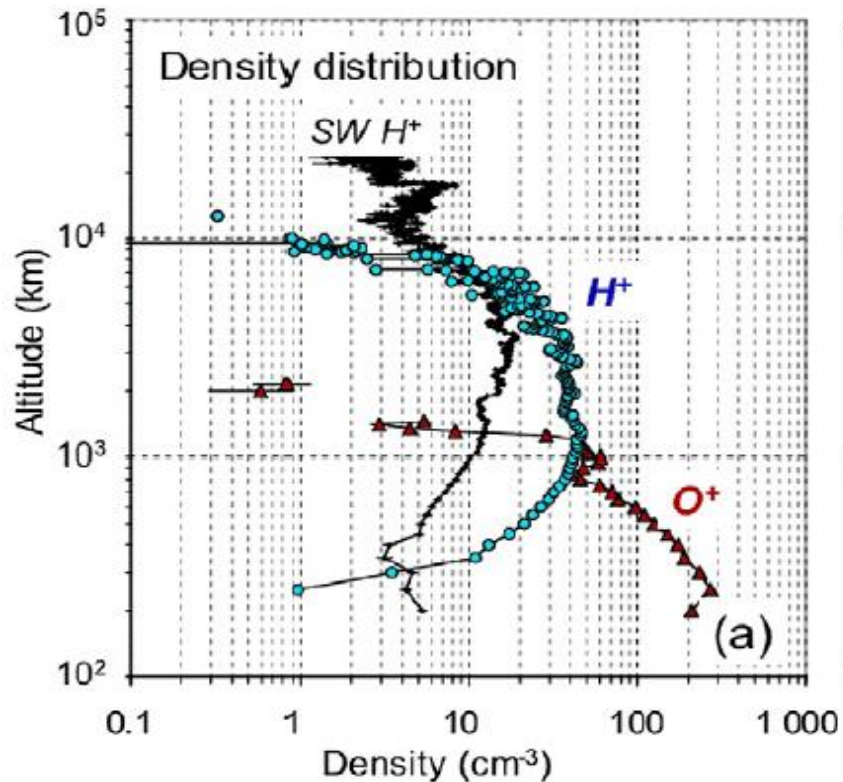
A sketch of the most important plasma boundaries and interaction regions in the environment of Venus (Brace and Kliore (1991)).



Aim of the work:

- Studying the dispersion properties of electrostatic waves in nonuniform ionospheric plasma of Dawn-Dusk region of Venus ionosphere, and how the plasma stability affected by the inhomogeneities of the system.





Plasma Parameters

$$T_o = T_H = 2 \times 10^3 \text{ K}$$

$$T_e = 1 \times 10^4 \text{ K}$$

$$B_0 = 1 \times 10^{-3} \text{ G}$$

$$n_e = 1 \times 10^4 \text{ cm}^{-3}$$

$$n_o = 100 \text{ cm}^{-3}$$

$$n_H = 20 \text{ cm}^{-3}$$

$$v_{e0} \approx 20 \text{ km/s}$$

$$v_{H0} = 15 \text{ km/s}$$

$$v_{o0} = 5 \text{ km/s}$$

$$L_{n_e} = 10^4 \text{ cm}$$

$$L_{n_o} = 10^6 \text{ cm}$$

$$L_{n_H} = 10^5 \text{ cm}$$

$$L_B = 10^7 \text{ cm}$$

Basic Equations

-Continuity equation $\frac{\partial n_\alpha}{\partial t} + \bar{\nabla} \cdot (n_\alpha \vec{v}_\alpha) = 0$

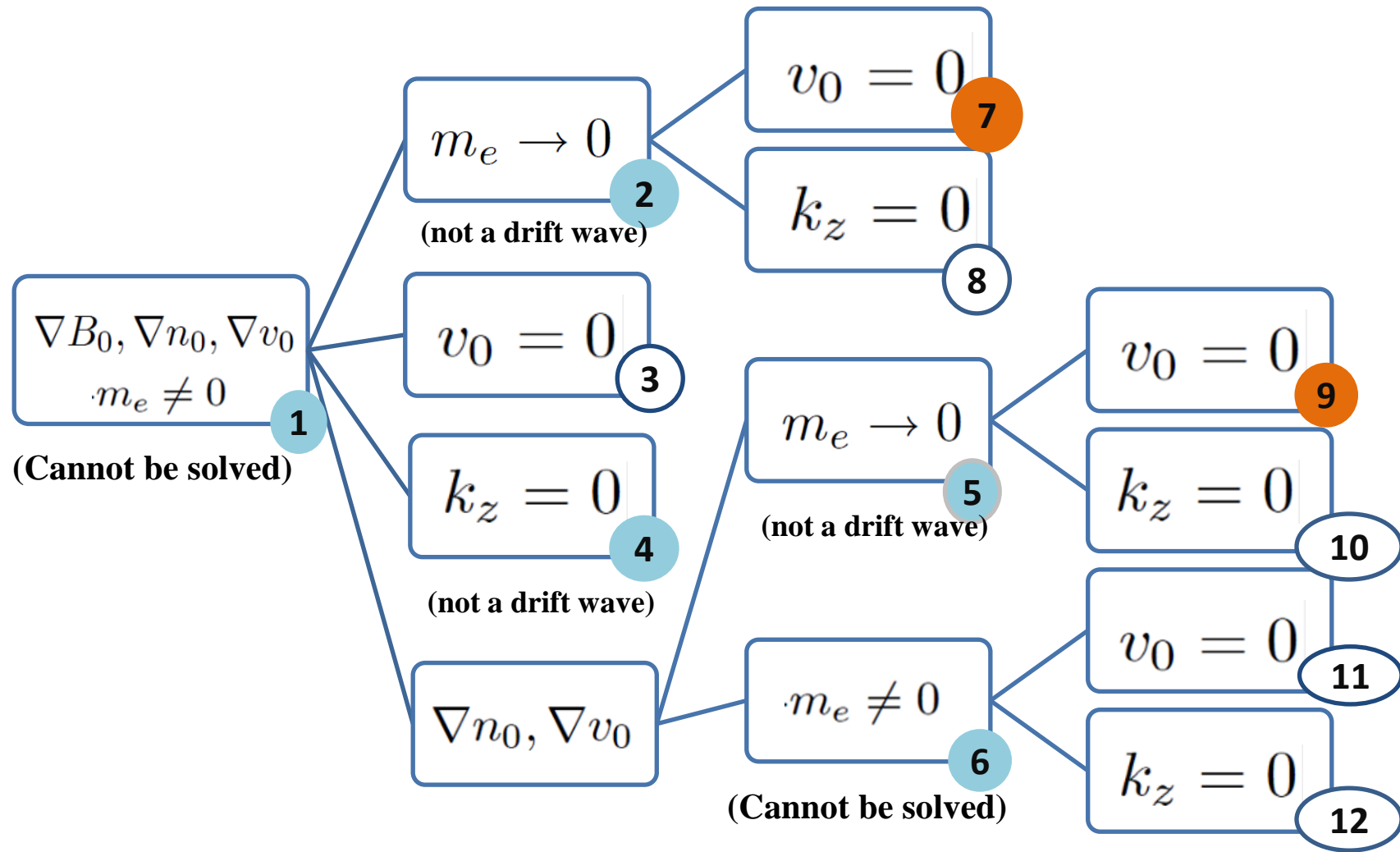
-Equation of motion $m_\alpha \left(\frac{\partial}{\partial t} + \vec{v}_\alpha \cdot \bar{\nabla} \right) v_\alpha = q \left(\underbrace{E}_{\text{Electric force}} + \underbrace{\frac{1}{c} v_\alpha \times B_0 \hat{z}}_{\text{Magnetic force}} \right) - \underbrace{\nabla P_\alpha}_{\text{Pressure gradient force}}$

-Poisson equation $\nabla^2 \phi = 4\pi e(n_e - n_O - n_H)$

Where

$$\begin{aligned} E &= -\nabla \phi & v_\alpha &= \vec{v}_{\alpha\perp} + v_{\alpha z} \hat{z} + v_{\alpha 0}(x) \\ \nabla P_\alpha &= \gamma K_B T_\alpha \nabla n_\alpha & n_\alpha &= n_{\alpha 0}(x) + n_{\alpha 1} \end{aligned}$$

α : e for electrons, O for oxygen ions, and H for Hydrogen ions.



Drifts appeared in the system,

$$v_{\alpha\perp} = \underbrace{\frac{c}{B_0} \hat{z} \times \nabla_{\perp} \phi}_{\text{ExB drift}} + \underbrace{\frac{c\gamma K_B T_{\alpha}}{qB_0 n_{\alpha 0}} \hat{z} \times \nabla_{\perp} n_{\alpha 1}}_{\text{Diamagnetic drift}}$$

ExB drift

Diamagnetic drift

General case

The dispersion relation

$$-k^2 \gamma_1 \beta_1 \alpha_1 = 4\pi e (\beta_1 \alpha_1 \gamma_2 + \beta_2 \alpha_1 \gamma_1 - \alpha_2 \beta_1 \gamma_1)$$

Where,

$$\begin{aligned} \alpha_1 &= \left(\omega - v_o k_z + v_{B_e} k_y - \frac{\gamma T_e (k_z - S_e k_y)}{m_e (\omega - v_o k_z)} k_z \right) & \beta_2 &= \left(c k_y \kappa_{n_H B} \frac{n_{H0}}{B_0} - \frac{n_{H0} e (k_z - S_H k_y)}{m_H (\omega - v_o k_z)} k_z \right) \\ \alpha_2 &= \left(c k_y \kappa_{n_e B} \frac{n_{e0}}{B_0} + \frac{n_{e0} e (k_z - S_e k_y)}{m_e (\omega - v_o k_z)} k_z \right) & \gamma_1 &= \left(\omega - v_o k_z - v_{B_o} k_y - \frac{\gamma T_o (k_z - S_o k_y)}{m_o (\omega - v_o k_z)} k_z \right) \\ \beta_1 &= \left(\omega - v_o k_z - v_{B_H} k_y - \frac{\gamma T_H (k_z - S_H k_y)}{m_H (\omega - v_o k_z)} k_z \right) & \gamma_2 &= \left(c k_y \kappa_{n_o B} \frac{n_{o0}}{B_0} - \frac{n_{o0} e (k_z - S_o k_y)}{m_o (\omega - v_o k_z)} k_z \right) \end{aligned}$$

Where

$$\kappa_{n_{H,O,e}B} = \frac{B_0}{n_{H,O,e0}} \frac{d\left(\frac{n_{H,O,e0}}{B_0}\right)}{dx}$$

$$\kappa_v = \frac{1}{v_{H,O,e0}} \frac{dv_{H,O,e0}}{dx}$$

$$S_{H,O,e} = \frac{m_{H,O,e}c}{eB_0} v_{H,O,e0} \kappa_v$$

$$v_{BH,O,e} = \frac{c\gamma T_{H,O,e}}{B_0 e} \kappa_B$$

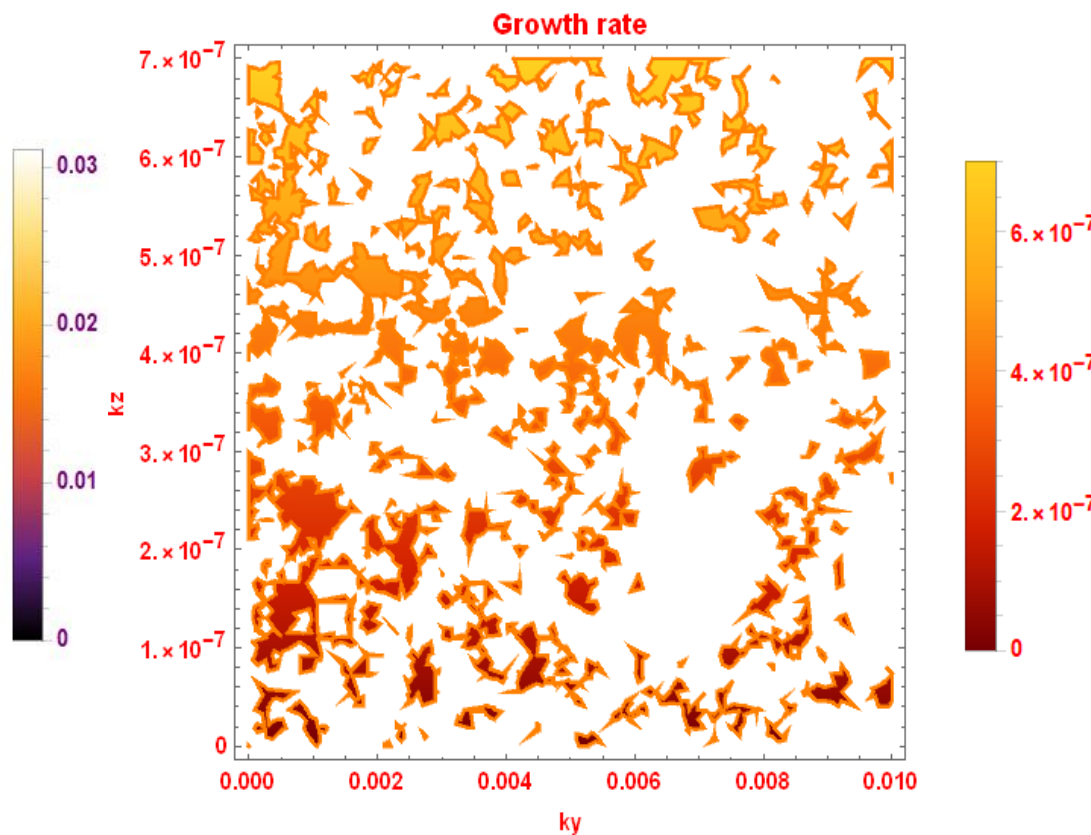
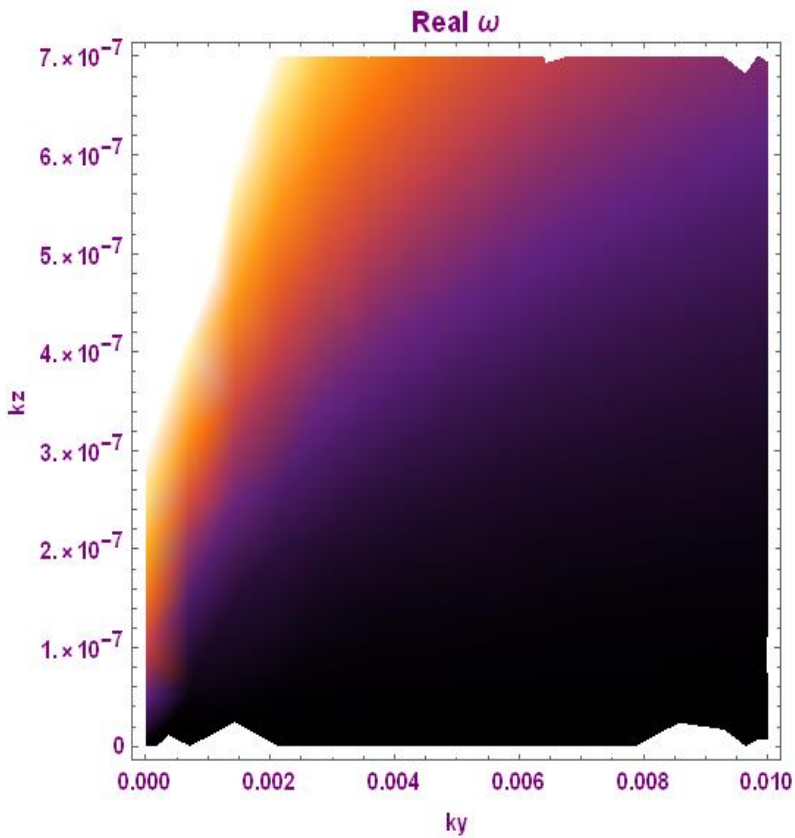
$$\kappa_B = \frac{dB_0}{B_0 dx}$$

7 & 9

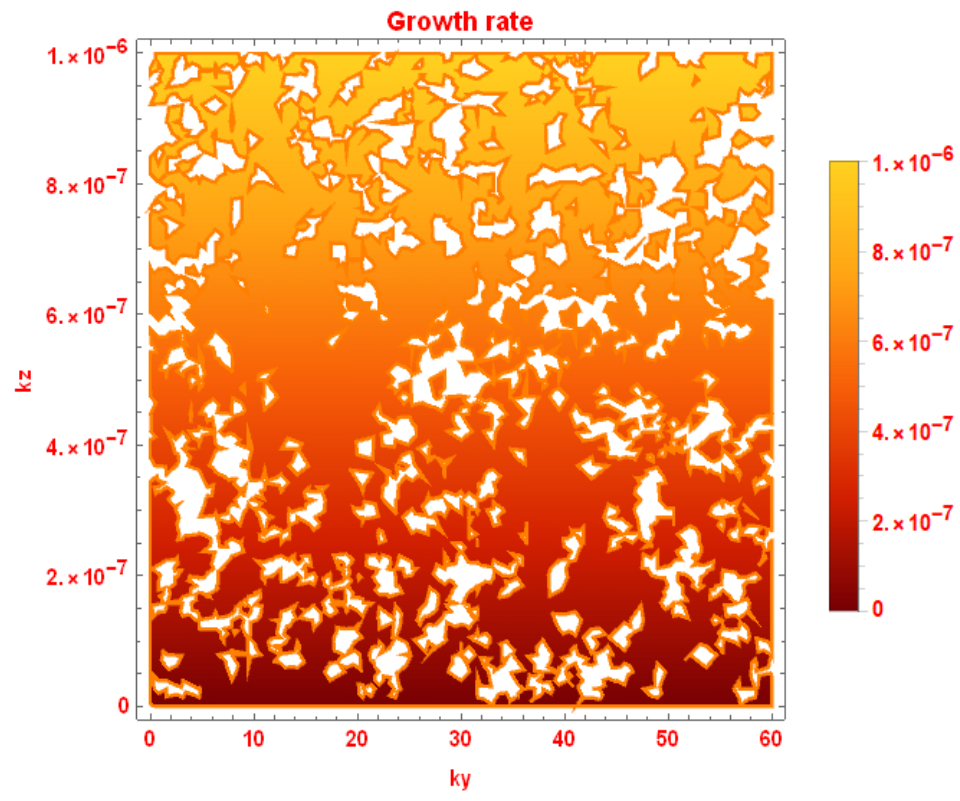
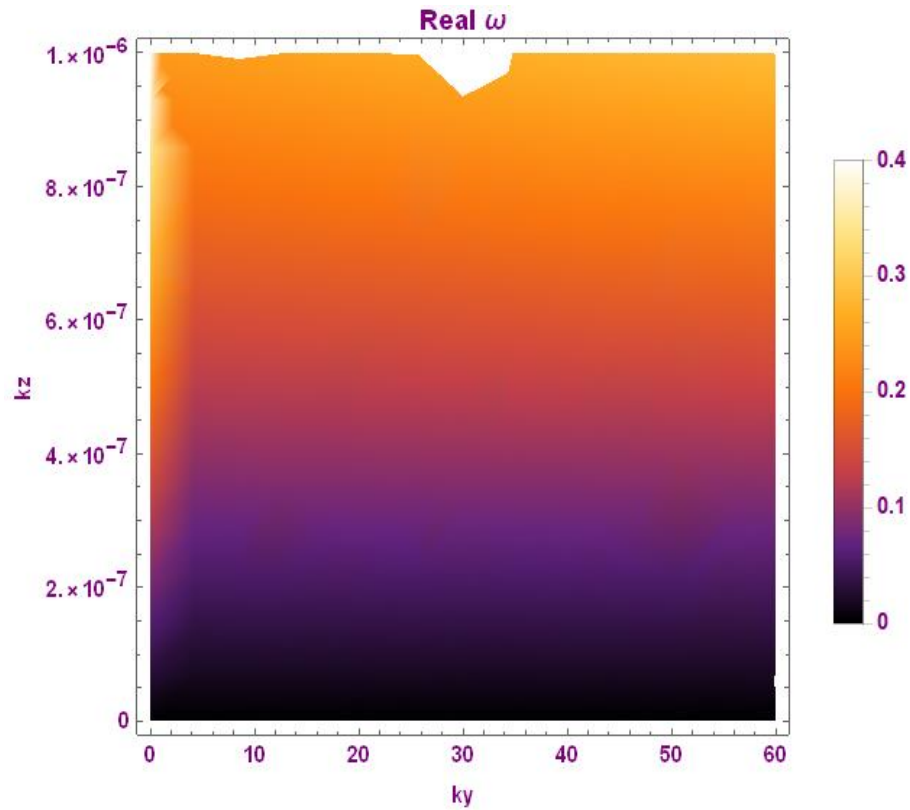
Flow velocity= zero

Electron inertia =zero

Case 7 ($\nabla B_0, \nabla n_0, v_0 = 0, m_e \rightarrow 0$)



Case 9 ($\nabla n_0, v_0 = 0, m_e \rightarrow 0$)

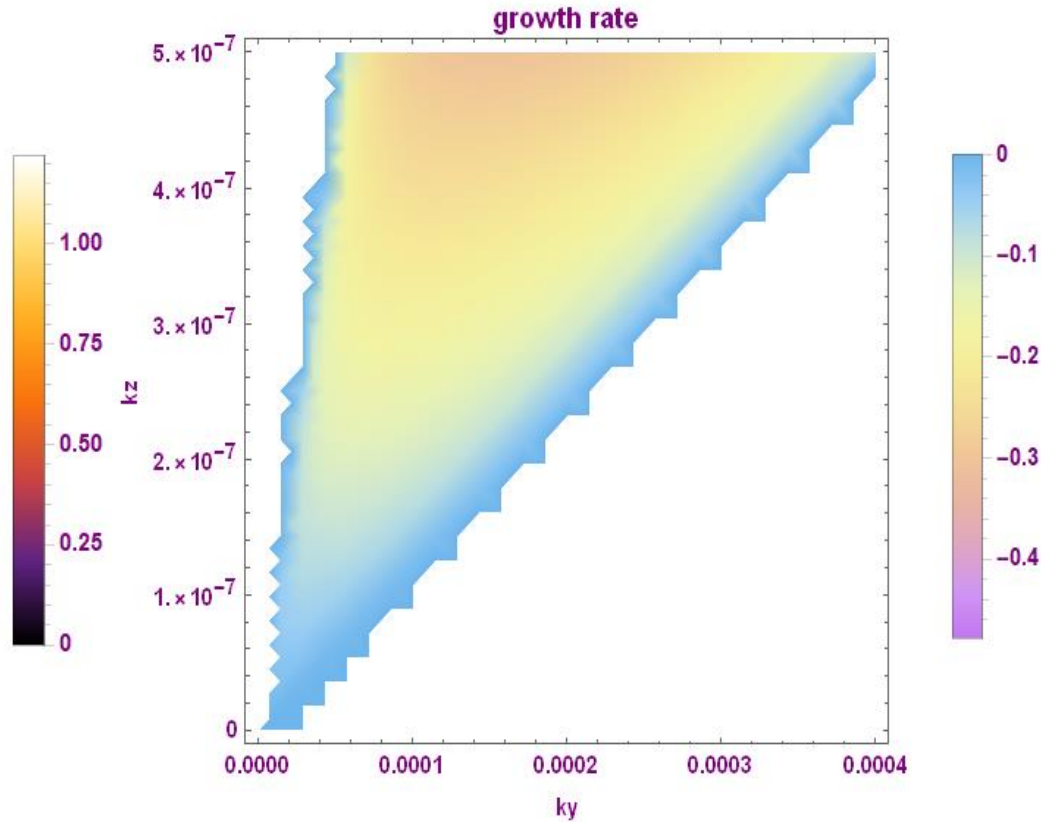
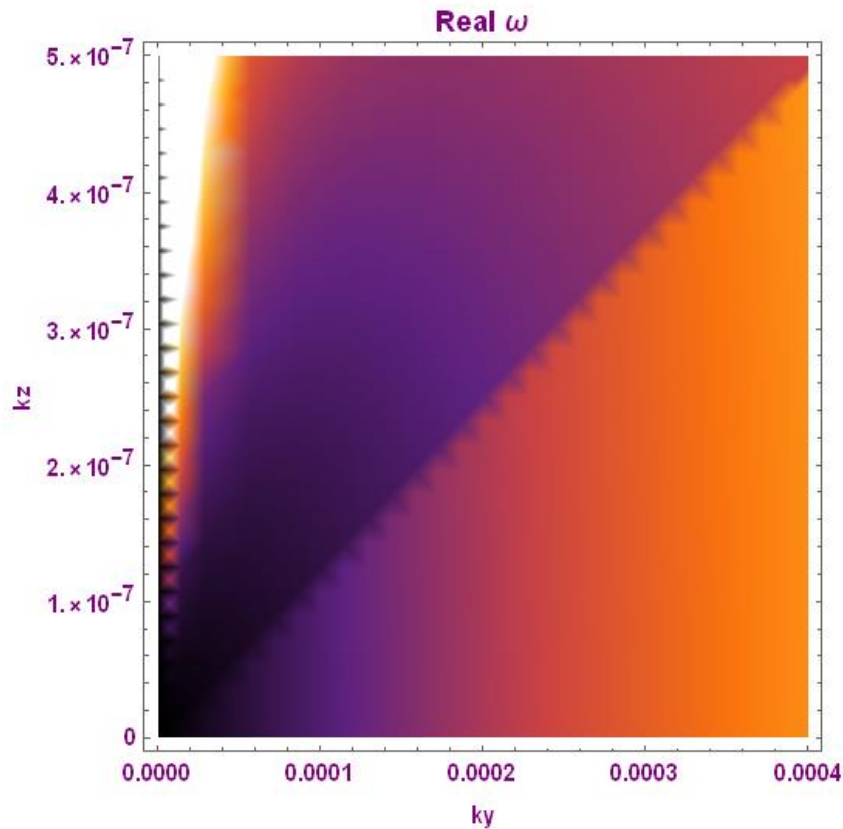


3 & 11

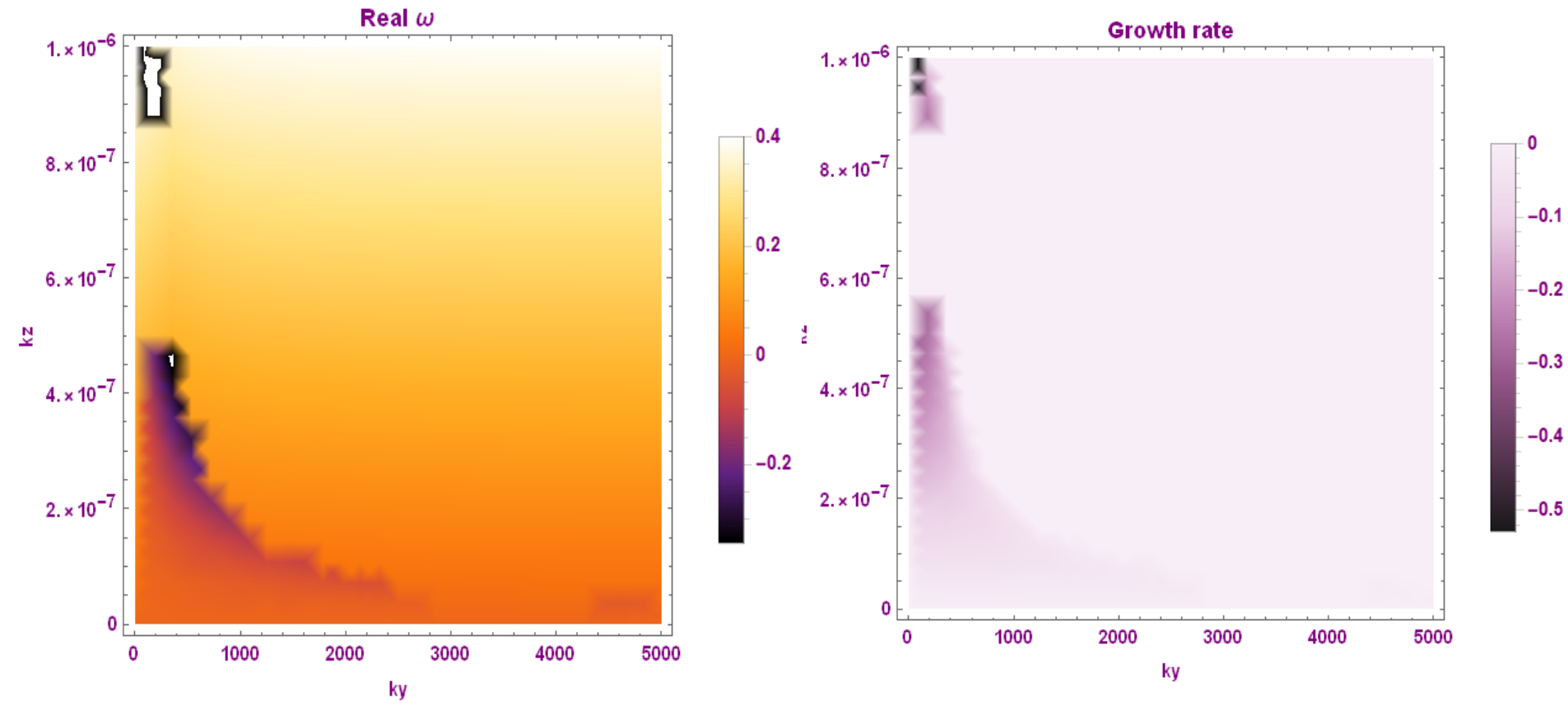
Flow velocity= zero

Electron inertia \neq zero

Case 3 ($\nabla B_0, \nabla n_0, v_0 = 0, m_e \neq 0$)



Case 11 ($\nabla n_0, v_0 = 0$, $m_e \neq 0$)

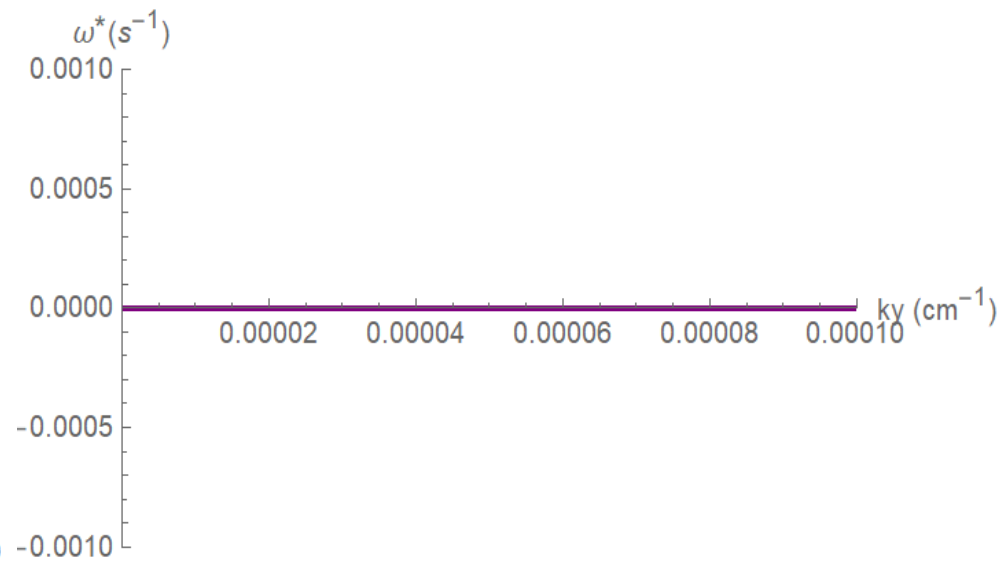
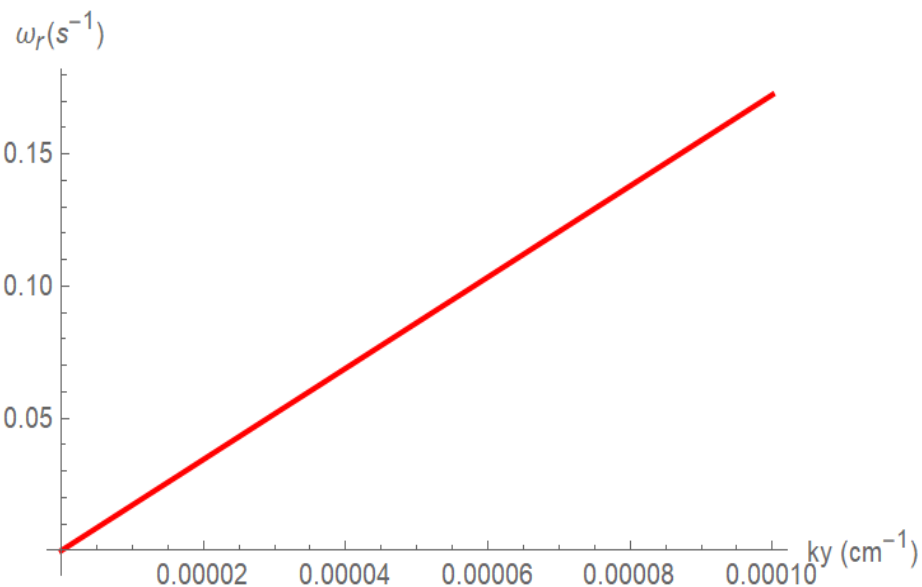


8 , 10 , 12

$k_z = \text{zero}$ (Flute modes)

Case 8 ($\nabla B_0, \nabla n_0, \nabla v_0$, $m_e \neq 0$)

(Periodic wave)



thank
you